

Enhance wireless Capacity through Multi-hop Scheduling

PARVEZ KHAN¹, ANJANA JAYANT DEEN², MANISH AHIRWAR³

Abstract: Today's, throughput capacity of a wireless network is big challenge and also, single-hop scheduling communication requests was not consider routing nor power control problems. In a single hop it targets only an approximation that is optimal up to a factor that is logarithmic in the number of requests. In this type scheduling algorithm The NP-hard problems are occurred when it compute any network's capacity up to a small insecurity. In existing paper, used Signal to Interference plus Noise Ratio (SINR) and greedy algorithm which are not able to deal with difficult scenario as efficiently one of the biggest drawback of greedy, its compute three time longer than approx A. In existing paper[1], by applying the single-slot subroutine repeatedly to realize an $O(\log n)$ -approximation (where n is the number of communication links) for the problem of minimizing the number of time slots needed to schedule a given set of arbitrary requests. All these problems are overcome in our proposed system.

In this paper, we proposed Multi-hop scheduling algorithm to overcome single-hop scheduling problems. We also proposed instance-based measure of interference which is overcome to problem of past result of SINR. Also we proved lower and upper bounds for scheduling to a set of request. We are improving on previous approximation factor to introducing approx A in term of lower and upper bounds.

Keywords: Multi-hop Scheduling, Approx A, upper bound, lower bounds.

Introduction:

Wireless network is a term of computer network which are used to established communication between one-hop to another hop without connection of wires. Wireless is a more modern alternative to common wired networking that build on cables to connect network cable devices together. Wireless technologies are universally used in homes, offices, enterprises and business computer networks. The wireless technology includes mobility, portability and freedom of movement and elimination of unsightly cables. Commonly forms of Internet service wait on telephone lines, fiber optic cables and cable television lines.

Although, the underlying core of the Internet debris wired, several alternative forms of Internet technology utilize wireless to connect homes and businesses. To frame or tap into a wireless network appropriate certain types of computer hardware. Compact devices like tablets, fablet and phones feature built-in wireless radios. Wireless technologies apply radio waves and microwaves to maintain communication channels between computers. Although, many technical details behind wireless protocols like Wi-Fi often aren't important to understand, insightful the basics can be very helpful when configuring a network and troubleshooting problems.

In multi-hop wireless networks are establish communication between two end nodes with the help of a number of intermediate nodes whose function is to relay information from one point to another. Multi-hop wireless networks can provide data access for large and original spaces, but they have long faced serious limits on the amount of data they can transmit. Now researchers have developed a most effective data transmission approach that can boost the amount of data the networks can transmits.

¹Parvez Khan, CSE Department UIT, RGPV Bhopal (M.P.)
parvezmtechs@gmail.com

²Anjana Jayant Deen, CSE Department UIT, RGPV Bhopal
(M.P.) anjanadeen@yahoo.com

³Manish Ahirwar, CSE Department UIT, RGPV Bhopal
(M.P.) ahirwarmanish@gmail.com

Literature Review:

At Olga Goussevskaia, Magnús M. Halldórsson, and Roger Wattenhofer [1], paper present the first results that provide approximation guarantees independent of the topology of the network. Their main contributions are the following.

- Given an arbitrary set of requests, they present a simple greedy algorithm that chooses a subset of the requests that can be transmitted concurrently without violating the SINR constraints. This subset is guaranteed to be within a constant factor of the optimal subset.
- Furthermore, by applying the single-slot subroutine repeatedly, they was realize an ϵ -approximation (where ϵ is the number of communication links) for the problem of minimizing the number of time slots needed to schedule a given set of arbitrary requests. Simulation results indicate that this approximation algorithm, besides having an exponentially better approximation ratio in theory, is also practical. It is easy to implement and achieves superior performance in various network scenarios.
- They also present a non-approximability result for the scheduling problem in the no geometric SINR model. More specifically, they show that in the SINR model where path loss is set arbitrarily (i.e., not determined by the Euclidean coordinates of the nodes), it is NP-hard to approximate the scheduling problem to within factor $(1+\epsilon)$ (where ϵ is the number of communication links), for any constant.
- Finally, they present a general robustness result for the physical model, showing that constant parameter changes, such as path loss and minimum signal ratio, will modify the capacity of the network only by a constant factor.
- All these results rely on a new definition to understand physical interference: affectance. This definition has been proved to be of general utility for analyzing algorithms in the SINR context, both for scheduling with fixed-but-different power assignments [7], [6] and in power-controlled scheduling [5], [7], [4].

One may argue that media access and scheduling are fundamental problems when it comes to wireless communication. Although power-controlled cases are interesting from a theoretical point of view, practically the most important cases are those with constant power. Although there are

many actual wireless networks, where nodes can choose different transmission powers, the selection is then either restricted to a small set of possible power levels, or a bounded power range. The analytical results of this paper hold for both extensions. Apart from constants, all findings are directly transferrable to bounded power set and to bounded ratio maximum and minimum powers, there results are practically relevant. The main features of the current paper, including the general style of the algorithm, affectance analysis, and signal strengthening, factor in and influence nearly all recent work. This paper fixes several minor plus one larger mistake (an erroneous claim on the scheduling complexity in [2]) from the preliminary conference versions [3] and [2].

At M. M. Halldórsson and R. Wattenhofer [2], We present here properties of schedules in the SINR model, which double as tools for the algorithm designer. The results of this section apply equally to scheduling links of different powers, including involving topology control. In the next subsection, we examine the desirable property of link dispersion, and how any schedule can be dispersed at a limited cost. We now explore how signal requirements (in the value of β), or equivalently interference tolerance, affects schedule length. It is not a priori obvious that minor discrepancies cause only minor changes in schedule length, but by showing that it is so, we can give our algorithms the advantage of being compared with a stricter optimal schedule. This also has implications regarding the robustness of SINR models with respect to perturbations in signal transmissions.

At O. Goussevskaia, M. M. Halldórsson, R. Wattenhofer, and E. Welzl [3] propose the first scheduling algorithm with approximation guarantee independent of the topology of the network. The algorithm has a constant approximation guarantee for the problem of maximizing the number of links scheduled in one time-slot. Furthermore, we obtain a $O(\log n)$ approximation for the problem of minimizing the number of time slots needed to schedule a given set of requests. Simulation results indicate that our algorithm does not only have an exponentially better approximation ratio in theory, but also achieves superior performance in various practical network scenarios. Furthermore, we prove that the analysis of the algorithm is extendable to higher

dimensional Euclidean spaces, and to more realistic bounded distortion spaces, induced by non-isotropic signal distortions. Finally, we show that it is NP-hard to approximate the scheduling

problem to within n^{ϵ} factor, for any constant $\epsilon > 0$, in the non-geometric SINR model, in which path-loss is independent of the Euclidean coordinates of the nodes.

TABLE 1: COMPARATIVE ANALYSIS

S no.	Title	Methods	advantage	Disadvantage
1	Algorithms for Wireless Capacity	SINR model	- It is easy to implement and achieves superior performance in various network scenarios.	- It is not determined by the Euclidean coordinates of the nodes
2	Wireless communication is in APX	properties of schedules in the SINR model	- our algorithms the advantage of being compared with a stricter optimal schedule	- In the Scheduling problem, we want to partition the set of input links into minimum number of SINR-feasible sets, each referred to as a slot. - In the Single-Shot Scheduling (SSS) problem, we seek the maximum cardinality subset of links that is SINR-feasible
3	Capacity of arbitrary wireless networks	$O(\log n)$ approximation	- The algorithm has a constant approximation guarantee for the problem of maximizing the number of links scheduled in one time-slot	- It does not only have an exponentially better approximation ratio in theory

Problem Finding:

In last paper determined the problem of throughput capacity of a wireless network. Also, study the problem of scheduling one-hop communication requests without power control. He was not considering routing nor power control problems. In a single hop it focuses only an approximation that is optimal up to a factor that is logarithmic in the number of requests. In this type scheduling algorithm The NP-hard problems are

occurred when it compute any network's capacity up to a small insecurity. In existing paper, used Signal to Interference plus Noise Ratio (SINR) and greedy algorithm which are not able to deal with difficult scenario as efficiently one of the biggest drawback of greedy, its compute three time longer than approx A. In existing paper [1], by applying the single-slot subroutine repeatedly to realize an $O(\log n)$ -approximation (where is the number of communication links) for the problem of minimizing the number of time slots needed to

schedule a given set of arbitrary requests. All these problems are short-out in our proposed system.

Proposed Work:

We proposed Mute-hop scheduling algorithm to overcome single-hop scheduling problems. We also proposed instance-based measure of interference which is overcome to problem of past result of SINR. Also we proved lower and upper bounds for scheduling to a set of request. We are improving on previous approximation factor to introducing approx A in term of lower and upper bounds.

Conclusion:

In this paper, we are using multi-hop network to improve the performance capacity of wireless networks. Multi-hop wireless networks can provide data access for large and original spaces, but they have long faced serious limits on the amount of data they can transmit. Now researchers have developed a most effective data transmission approach that can boost the amount of data the networks can transmits.

References:

1. Olga Goussevskaia, Magnús M. Halldórsson, and Roger Wattenhofer, "Algorithms for Wireless Capacity" IEEE/ACM TRANSACTIONS ON NETWORKING, VOL. 22, NO. 3, JUNE 2014.
2. M. M. Halldórsson and R. Wattenhofer, "Wireless communication is in APX," in Proc. 37th ICALP, Jul. 2009, pp. 525–536.
3. O. Goussevskaia, M. M. Halldórsson, R. Wattenhofer, and E. Welzl, "Capacity of arbitrary wireless networks," in Proc. 28th Annu. IEEE INFOCOM, Apr. 2009, pp. 1872–1880.
4. T. Kesselheim, "A constant-factor approximation for wireless capacity maximization with power control in the SINR model," in Proc. 22nd ACM-SIAM SODA, Jan. 2011, pp. 1549–1559.
5. M. M. Halldórsson, "Wireless scheduling with power control," Trans. Algor., vol. 9, no. 1, p. 7, 2012.
6. T. Kesselheim and B. Vöcking, "Distributed contention resolution in wireless networks," in Proc. 24th DISC, 2010, pp. 163–178.

7. M. M. Halldórsson and P. Mitra, "Wireless capacity with oblivious power in general metrics," in Proc. 22nd ACM-SIAM SODA, Jan. 2011, pp. 1538–1548.
8. D. Chafekar, V. Kumar, M. Marathe, S. Parthasarathy, and A. Srinivasan, "Cross-layer latency minimization for wireless networks using SINR constraints," in Proc. 8th ACM MobiHoc, 2007, pp. 110–119.
9. V. Auletta, L. Moscardelli, P. Penna, and G. Persiano, "Interference games in wireless networks," in Proc. 4th WINE, 2008, vol. 5385, LNCS, pp. 278–285.
10. C. Avin, Y. Emek, E. Kantor, Z. Lotker, D. Peleg, and L. Roditty, "SINR diagrams: Towards algorithmically usable SINR models of wireless networks," in Proc. 28th Annu. ACM SIGACT-SIGOPS PODC, 2008, pp. 200–209.
11. G. Brar, D. Blough, and P. Santi, "Computationally efficient scheduling with the physical interference model for throughput improvement in wireless mesh networks," in Proc. 12th Annu. MobiCom, 2006, pp. 2–13.
12. G. S. Brar, D. M. Blough, and P. Santi, "The SCREAM approach for efficient distributed scheduling with physical interference in wireless mesh networks," in Proc. 28th IEEE ICDCS, 2008, pp. 214–224.
13. T. A. ElBatt and A. Ephremides, "Joint scheduling and power control for wireless ad hoc networks," IEEE Trans. Wireless Commun., vol. 3, no. 1, pp. 74–85, Jan. 2004.
14. Y. Gao, J. C. Hou, and H. Nguyen, "Topology control for maintaining network connectivity and maximizing network capacity under the physical model," in Proc. 27th Annu. IEEE INFOCOM, 2008, pp. 1013–1021.
15. O. Goussevskaia, T. Moscibroda, and R. Wattenhofer, "Local broadcasting in the physical interference model," in Proc. 5th ACM SIGACT-SIGOPS Int. Workshop Found. Mobile Comput., Aug. 2008, pp. 35–44.
16. O. Goussevskaia, Y. A. Oswald, and R. Wattenhofer, "Complexity in geometric SINR," in Proc. 8th ACM MobiHoc, 2007, pp. 100–109.
17. J. Gronkvist and A. Hansson, "Comparison between graph-based and interference-based STDMA scheduling," in Proc. 2nd ACM MobiHoc, 2001, pp. 255–258.
18. U. Kozat and L. Tassiulas, "Throughput capacity of random ad hoc networks with infrastructure support," in Proc. MobiCom, 2003, pp. 55–65.
19. V. Kumar, M. Marathe, S. Parthasarathy, and A. Srinivasan, "Algorithmic aspects of capacity in wireless networks," in Proc. SIGMETRICS, 2005, pp. 133–144.
20. S. Li, Y. Liu, and X.-Y. Li, "Capacity of large scale wireless networks under Gaussian channel model," in Proc. 14th ACM MobiCom, 2008, pp. 140–151.
21. R. Maheshwari, S. Jain, and S. R. Das, "A measurement study of interference modeling and scheduling in low-power wireless networks," in Proc. 6th SenSys, 2008, pp. 141–154.
22. T. Moscibroda, "The worst-case capacity of wireless sensor networks," in Proc. 6th IPSN, 2007, pp. 1–10.
23. T. Moscibroda, Y. A. Oswald, and R. Wattenhofer, "How optimal are wireless scheduling protocols?," in Proc. 26th Annu. IEEE INFOCOM, 2007, pp. 1433–1441.
24. T. Moscibroda and R. Wattenhofer, "The complexity of connectivity in wireless networks," in Proc. 25th Annu. IEEE INFOCOM, 2006, pp. 1–13.

25. T. Moscibroda, R. Wattenhofer, and Y. Weber, "Protocol design beyond graph-based models," in Proc. 5th HotNets, Nov. 2006, pp. 25–30.
26. T. Moscibroda, R. Wattenhofer, and A. Zollinger, "Topology control meets SINR: The scheduling complexity of arbitrary topologies," in Proc. 6th ACM MobiHoc, 2006, pp. 310–321.
27. C. Scheideler, A.W. Richa, and P. Santi, "An dominating set protocol for wireless ad-hoc networks under the physical interference model," in Proc. 9th ACM MobiHoc, 2008, pp. 91–100.

IJSER